

Functional Programming Matters

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Aims and Objectives of the Session

- Look at how functional programming has influenced and continues to influence imperative/object-oriented programming.
- Consider why functional programming might have relevance in a world that is fundamentally imperative/object-oriented: show how use of C, C++, Java, Python, Ruby, Groovy, etc. is improved by using a more functional programming approach.
- Peek into the increasingly parallel future world and investigate some of the issues of parallelism that functional programming approaches may aid.

Structure of the Session

- Brief summary of what functional programming is and about some functional programming languages.
- Look at some sample problems, at the techniques for solution, and investigate what is good and what is bad.

*This presentation has not been compiled
it is being dynamic bound.*

*Unfortunately, there are no unit tests for
this presentation, so errors may arise.*

Background

- 1980s – the declarative vs. imperative war:
 - Imperative: the existing way, but in need of help.
 - Declarative: making the maths of computation executable.
- The Players:
 - Imperative:
 - Structured programming.
 - Object-oriented programming.
 - Declarative
 - Logic programming.
 - Functional programming.

Defensiveness and Relevance

- The functional programming community has always been very defensive about real world applicability of functional programming, cf.:
John Hughes (1984) “Why Functional Programming Matters”.

Hughes' Arguments for FP

- Single assignment.
- No side effects.
- Referential transparency.
- Higher order functions.
- Function composition.
- Newton–Raphson.
- Numerical
 - integration
 - differentiation
- Game trees:
 - Noughts and crosses (aka tic-tac-toe).

What's FP's Angle?

- Functions.
- Imperative languages do not take functions seriously enough.
 - Obsession with control of mutable state.
 - Obsession with mapping to native machine architectures.

Current Players in the Functional Programming Arena

- **Scheme** – a variant of Lisp.
- **OCaml** – the object-oriented form of ML and Caml.
- **Haskell** – the descendant of ML, Hope, KRC, Miranda.
- **Erlang** – the functional form of Occam.

*There is a sort of date ordering here:
Lisp precedes ML, which precedes Miranda.*

*Occam is definitely not a functional
programming language*

On Expertise

- Expertise is *not* the number of years of experience in a given language – though that is a factor.
- Expertise is strongly related to the number of different types of language a person is fluent in.

*Learning and being able to use C, C++, Java, Python, Ruby, Groovy, Fortran, Haskell, Erlang, etc. **properly** makes you a better programmer.*

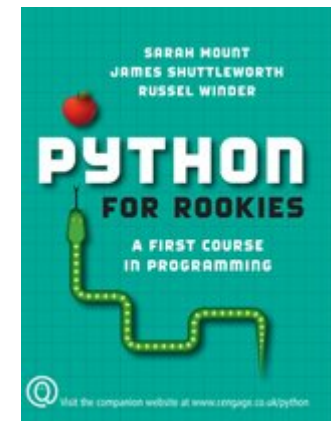
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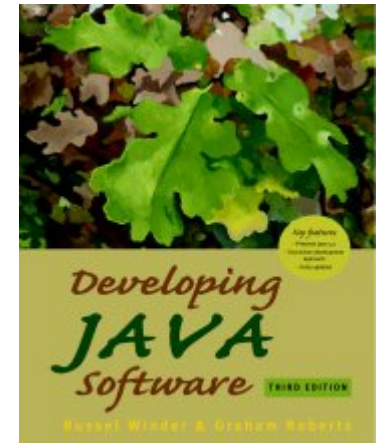
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What is Functional Programming?

- Computation by transformation of data using function application.
- The features:
 - Referential transparency of function calls.
 - No side-effects, no mutable data.
 - Functions as first class entities; higher-order functions.

On this Hughes is 100% correct.

Crucial Change of Perspective

- Imperative:
 - Procedures and methods undertake some activity possibly resulting in a return value.
- Functional:
 - Data is transformed by the application of referentially transparent functions.

The realization of algorithm is handled very differently.

Distinguishing Functional Programming Languages

- Strict / Non-strict
- Eager / Lazy
- Pure / Impure

Fibonacci Numbers

Introduction

- The Fibonacci Sequence is the sequence of numbers defined by the recurrence relation:

$$F(n) = \begin{cases} 0 & n=0 \\ 1 & n=1 \\ F(n-1)+F(n-2) & n>1 \end{cases}$$

Fibonacci Numbers

Naïve Implementation

- People are generally tempted to implement the function directly from the definition as recursive functions.
- The following show such implementations in C, C++, Java, Python, Groovy, Haskell, and Erlang.

Fibonacci Numbers

Naïve Static Imperative

```
unsigned long long naiveRecursive ( const unsigned long long n ) {  
    return n == 0 ? 0 : n == 1 ? 1 : naiveRecursive ( n - 1 ) + naiveRecursive ( n - 2 );  
}
```

```
public static BigInteger naiveRecursive ( final long n ) {  
    return  
        n == 0 ? BigInteger.ZERO :  
        n == 1 ? BigInteger.ONE : naiveRecursive ( n - 1 ).add ( naiveRecursive ( n - 2 ) );  
}
```

Fibonacci Numbers

Naïve Dynamic Imperative

```
def naiveRecursive ( n ) :  
  return 0 if n == 0 else 1 if n == 1 else naiveRecursive ( n - 1 ) + naiveRecursive ( n - 2 )
```

```
def naiveRecursive ( n ) {  
  return n == 0 ? 0 : n == 1 ? 1 : naiveRecursive ( n - 1 ) + naiveRecursive ( n - 2 )  
}
```

Fibonacci Numbers

Naïve Functional

```
naiveRecursivePattern :: Integer -> Integer
naiveRecursivePattern 0 = 0
naiveRecursivePattern 1 = 1
naiveRecursivePattern n = naiveRecursivePattern (n - 1) + naiveRecursivePattern (n - 2)
```

```
naiveRecursiveGuarded :: Integer -> Integer
naiveRecursiveGuarded n
  | n == 0 = 0
  | n == 1 = 1
  | n > 1 = naiveRecursiveGuarded (n - 1) + naiveRecursiveGuarded (n - 2)
```

```
naiveRecursive (0) -> 0 ;
naiveRecursive (1) -> 1 ;
naiveRecursive (N) when N > 1 -> naiveRecursive (N - 1) + naiveRecursive (N - 2) ;
naiveRecursive (N) when N < 0 -> erlang:error ( { fibonacciNaiveRecursiveNegativeArgument , N } ) .
```

Fibonacci Numbers Haskell, Better Pattern Matching Version?

```
naiveRecursiveBetterPattern :: Integer -> Integer
naiveRecursiveBetterPattern 0 = 0
naiveRecursiveBetterPattern 1 = 1
naiveRecursiveBetterPattern ( n + 2 ) =
    naiveRecursiveBetterPattern ( n + 1 ) + naiveRecursiveBetterPattern n
```

Fibonacci Numbers

A Trick of the Tail (Recursion)

*The Genesis of
sophistication.*



```
tailRecursiveGuarded :: Integer -> Integer
tailRecursiveGuarded n
  | n < 0 = error "Cannot use negative parameter."
  | n == 0 = 0
  | n == 1 = 1
  | n > 1 = doTailRecursion n 1 0
  where
    doTailRecursion n next result = if n == 0
                                     then result
                                     else doTailRecursion (n - 1) (next + result) next
```

Fibonacci Numbers

A Trick of the Tail (Recursion)

*You can (Tony)
Banks on it.*



```
tailRecursive ( 0 ) -> 0 ;
tailRecursive ( 1 ) -> 1 ;
tailRecursive ( N ) when N > 0 -> iterateTailRecursive ( 1 , N , 1 , 0 ) ;
tailRecursive ( N ) when N < 0 ->
    erlang:error ( { fibonacciTailRecursiveNegativeArgument , N } ) .

iterateTailRecursive ( N , Max , Next , Result ) when N > Max -> Result ;
iterateTailRecursive ( N , Max , Next , Result ) ->
    iterateTailRecursive ( N + 1 , Max , Next + Result , Next ) .
```


Fibonacci Number

A Trick of the Tail (Recursion)

During the session Jeremy Gibbons suggested having these two versions made public.

```
tailRecursivePattern :: Integer -> Integer
tailRecursivePattern 0 = 0
tailRecursivePattern 1 = 1
tailRecursivePattern (n + 2) = doTailRecursion (n + 2) 0 1 where
  doTailRecursion 0 result next = result
  doTailRecursion (n + 1) result next = doTailRecursion n next (result + next)
```

```
tuplingTrick :: Integer -> Integer
tuplingTrick n = fst (doDouble n) where
  doDouble 0 = (0, 1)
  doDouble (n + 1) = let (a, b) = doDouble n in (b, a + b)
```

Fibonacci Numbers

Some Observations on Being Naïve

- The implementations are using a function to calculate a value in a sequence – should really just use a data structure to represent a sequence.
- Infinite sequences cannot be represented as data structures, so use a function.
- The naïve implementation is fundamentally unsound – $O(2^n)$ in fact.
- **MUST** use memoization to avoid replication of calculations if using a recursive implementation.

Fibonacci Numbers

Imperatively, Statically Iterative

```
unsigned long long iterative ( const unsigned long long n ) {  
    unsigned long long result = 0 ;  
    unsigned long long next = 1 ;  
    for ( unsigned long long i = 0 ; i < n ; ++i ) {  
        unsigned long long temporary = result ;  
        result = next ;  
        next += temporary ;  
    }  
    return result ;  
}
```

```
public static BigInteger iterative ( final long n ) {  
    BigInteger result = BigInteger.ZERO ;  
    BigInteger next = BigInteger.ONE ;  
    for ( long i = 0 ; i < n ; ++i ) {  
        BigInteger temporary = result ;  
        result = next ;  
        next = temporary.add ( next ) ;  
    }  
    return result ;  
}
```

Fibonacci Numbers

Imperatively, Dynamically Iterative

```
def iterative ( n ) :  
    result = 0  
    next = 1  
    for i in range ( n ) :  
        temporary = result  
        result = next  
        next = temporary + next  
    return result
```

```
def iterative ( n ) {  
    def result = 0  
    def next = 1  
    for ( i in 0..<n ) {  
        def temporary = result  
        result = next  
        next += temporary  
    }  
    result  
}
```

Fibonacci Numbers But Recursive Looks Better

- The iterative solution certainly performs faster, $O(n)$, than the naïve recursive solution, $O(2^n)$.
- It would be better to do better.
- Use memoization to build a data structure – get to $O(q)$

Fibonacci Numbers

Keeping a C++ Memo

```
unsigned long long memoizedRecursive ( const unsigned long long n ) {  
    static std::map<unsigned long long,unsigned long long> memo ;  
    if ( memo.count ( n ) == 0 ) {  
        switch ( n ) {  
            case 0 : memo[0] = 0 ; break ;  
            case 1 : memo[1] = 1 ; break ;  
            default : memo[n] = memoizedRecursive ( n - 1 ) + memoizedRecursive ( n - 2 ) ; break ;  
        }  
    }  
    return memo[n] ;  
}
```

Fibonacci Numbers

Keeping a Java Memo

```
static Map<Long, BigInteger> memo = new HashMap<Long, BigInteger> ( );
static {
    memo.put ( 0L , BigInteger.ZERO );
    memo.put ( 1L , BigInteger.ONE );
}
public static BigInteger memoizedRecursive ( final long n ) {
    if ( ! memo.containsKey ( n ) ) {
        memo.put ( n , memoizedRecursive ( n - 1 ).add ( memoizedRecursive ( n - 2 ) ) );
    }
    return memo.get ( n );
}
```

Fibonacci Numbers

Keeping a Dynamic Memo

```
memo = { 0 : 0 , 1 : 1 }  
def memoizedRecursive ( n ) :  
  if not n in memo :  
    memo[n] = memoizedRecursive ( n - 1 ) + memoizedRecursive ( n - 2 )  
  return memo[n]
```

```
def memoizedRecursive ( n ) {  
  static memo = [ 0 : 0 , 1 : 1 ]  
  if ( ! memo.containsKey ( n ) ) {  
    memo[n] = memoizedRecursive ( n - 1 ) + memoizedRecursive ( n - 2 )  
  }  
  memo[n]  
}
```


Fibonacci Numbers Being Lazy but Functional

```
lazyList :: Integer -> Integer
```

```
lazyList n = fibonacciSequence !! fromInteger n
```

```
where
```

```
fibonacciSequence = 0 : 1 : zipWith (+) fibonacciSequence (tail fibonacciSequence)
```

Lazy is good.

Historical Factors

- Functional programming was the preserve of the computer science theory people.
- Functional programming seen as too academic since it was espoused by academics.
- “Real Programmers use Imperative Languages.”

Higher Order Functions

- C and C++ have function pointers but this is nothing like as powerful as the feature of higher order functions.
- Dynamic languages (e.g. Python, Groovy, Ruby) have taken on board functions as first class entities and hence higher order functions.

Python as Anti-Pattern

- Guido van Rossum has publicly stated that reduce is incomprehensible – summation is the only use case.
- The functional languages and all the other main dynamic languages take the opposite view.
- Reduce can be complicated to use, but then so are higher order functions in general unless you are careful.

Erlang – System Programming the Functional Way

- Erlang is a functional programming language, yet it is used to write telecoms switches!
- Supports parallelism – process (not thread!) is the primitive unit of parallelism.

Scala – An Interesting Language?

- Scala tries to merge object-oriented and functional programming in a single language.

Scala has integral preconditions.

C++ Requires a Functional Approach

- C++ encourages a functional programming approach with the STL and generic functions.
 - Learning functional programming helps with idioms and strategies of C++ programming.
- C++ requires a functional approach for template programming.
 - Learning functional programming gives you a handle on doing template metaprogramming.

Summary

- Functional programming may never be the dominant paradigm.
- Haskell and Erlang are used and being used more in real applications.
- The way of programming in functional languages is applicable to other languages, e.g. C, C++, Java as well as Python, Groovy, Ruby, Perl, etc.

One Liner

- Knowing how to program in a functional language helps programming in any and all other languages.